

# Fast Radar Image Change Detection by Matlab Embedded Routines

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Saab EDS, April 2016



## Overview

- ❑ Saab has developed a novel type of low frequency airborne radar – CARABAS - which detects objects even if camouflaged, e.g. by trees screening.
- ❑ The radar images are temporally stable (i.e. do not change from one registration to another) so detection can be achieved by “change”. For instance a vehicle being parked and camouflaged in between flights will be detected.
- ❑ This talk addresses the specific probability method for change detection: It assesses the probability of the small natural changes and compares with a change caused by an appearing object. Thereby the probability that a change means that an object has appeared in any particular position is obtained. Targets become found and listed in order of decreasing probability.
- ❑ A challenge is the computation time in obtaining the statistics for natural changes since images are large (millions of pixels) and must be compared with each other. Nevertheless using Matlab embedded routines a method were found to reduce the computation time by one to two orders of magnitude, thus making the approach practical.
- ❑ It is suggested that the method practiced has a wider application speeding up any routine which requires manipulating functions defined over large data sets – typically images.

High band – 220 MHz - 0.75 m resolution

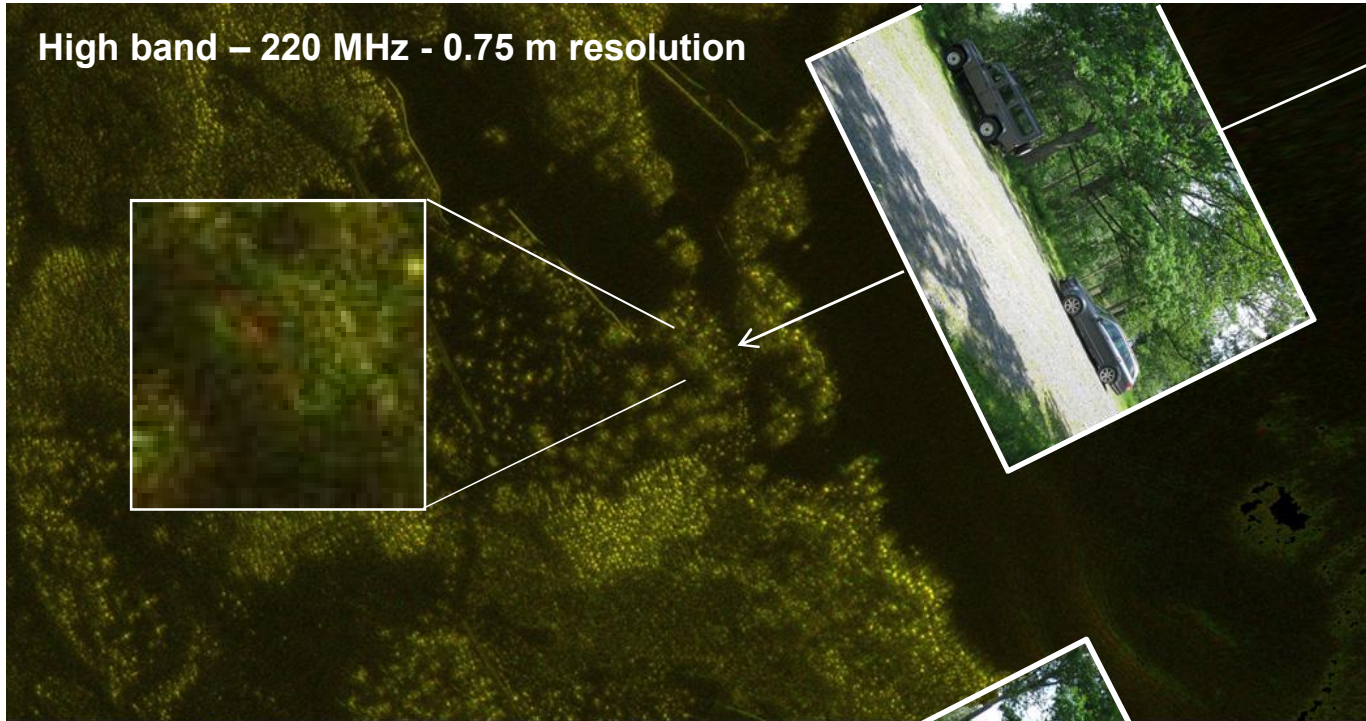
**Change detection imagery from two flights – appearing objects are red and disappearing green – those unchanged are yellow.**

Low band – 55 MHz - 3 m resolution

**Upper image is for a higher frequency radar band. The lower band at the lower image evidently works much better**



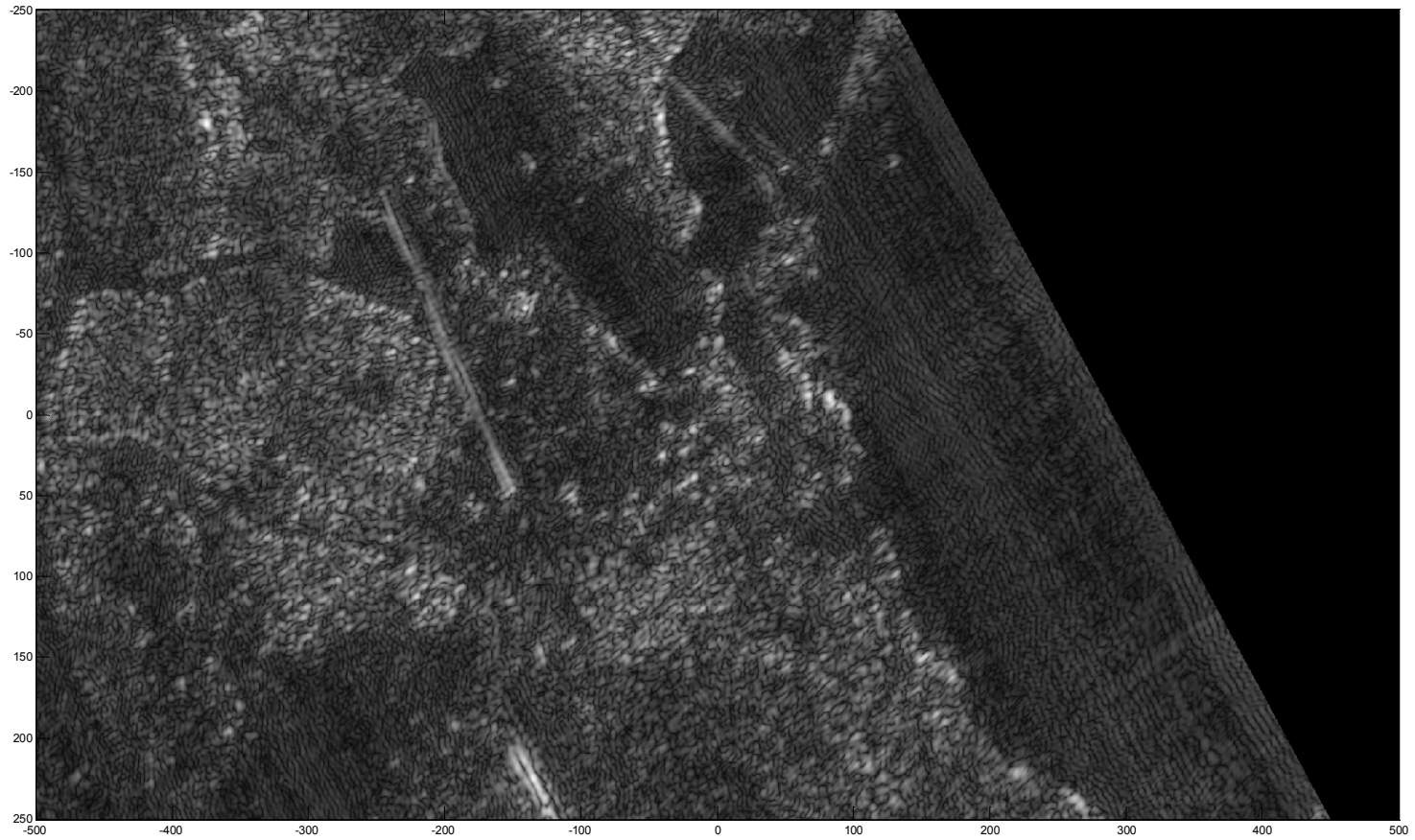
High band – 220 MHz - 0.75 m resolution



Low band – 55 MHz - 3 m resolution

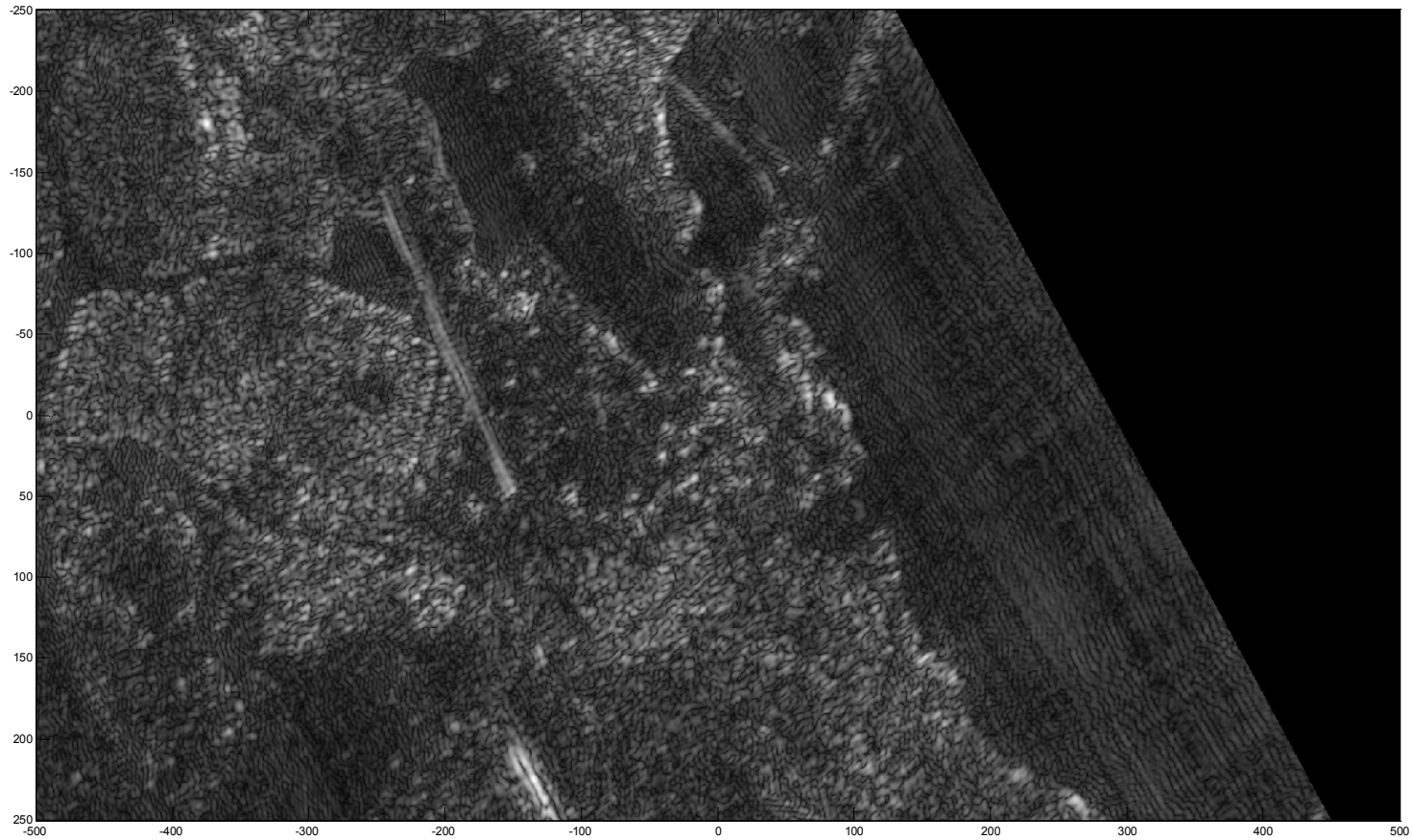


# Lower band image from first flight

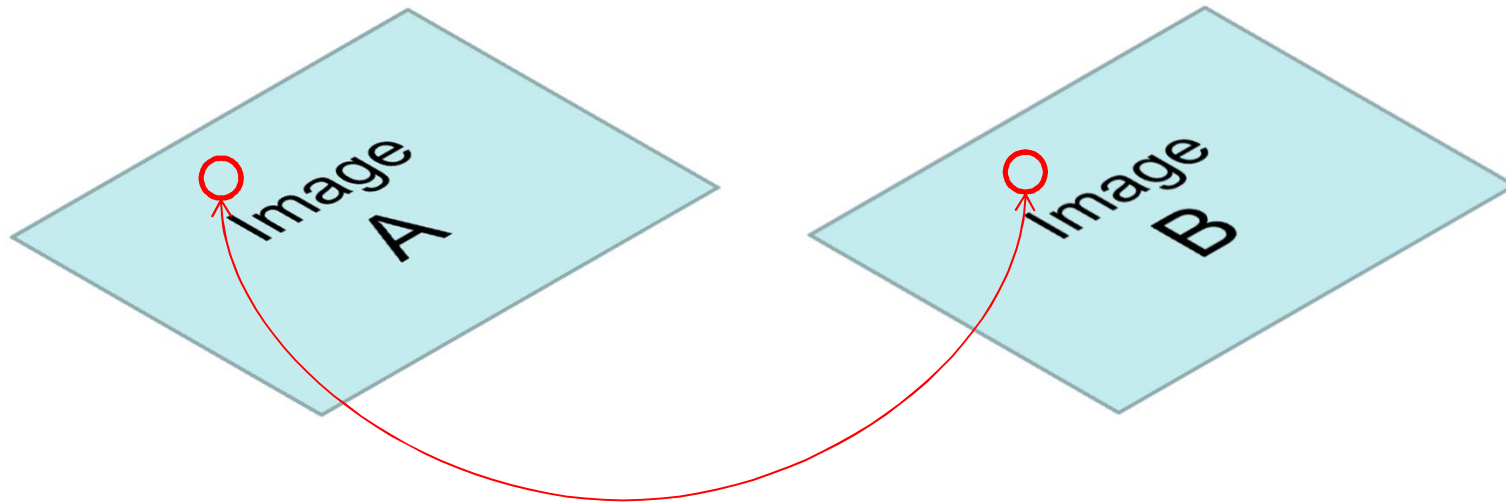




## Lower band image from second flight



## Statistical Method

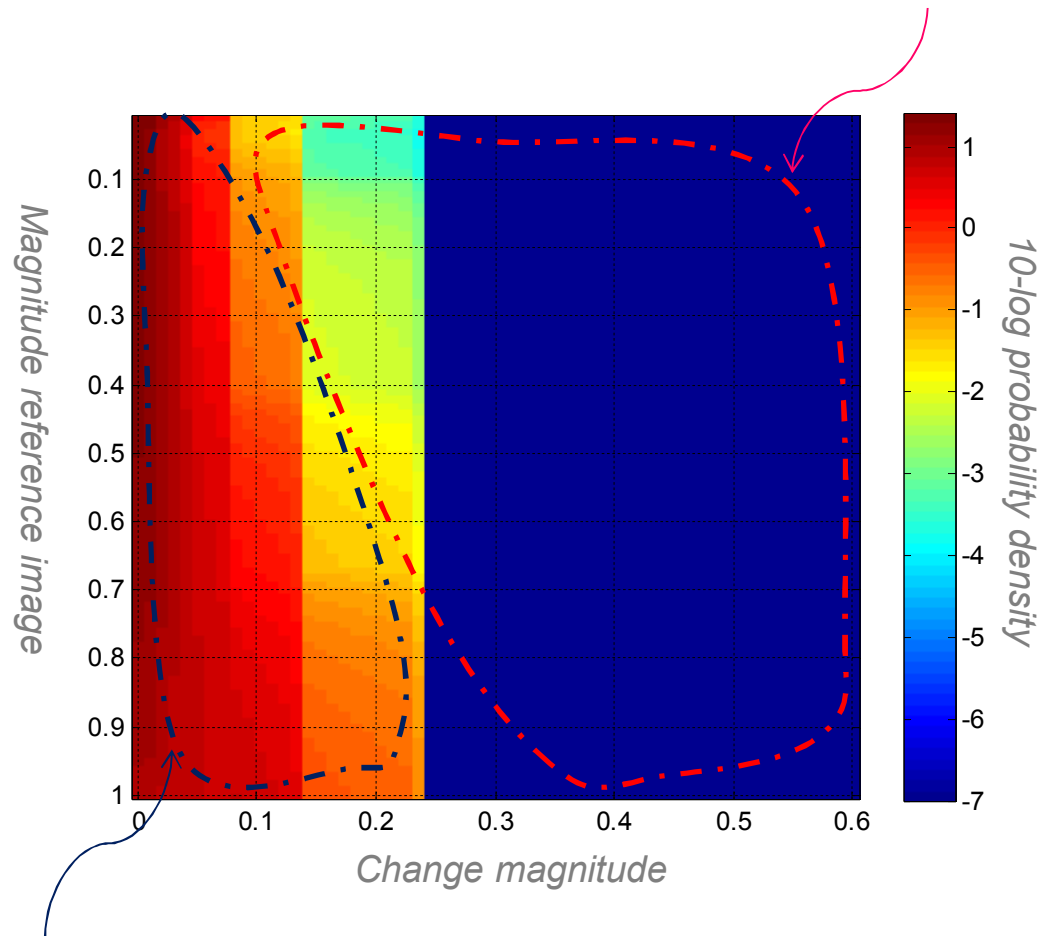


1. Assess change statistics by counting number of cases when for a given amplitude in A there is a given amplitude change between A and B
2. Divide by the calculated probability that a target causes such a change thus obtaining probability that for each image point there is a target
3. Find the most probable target candidate and exclude
4. Redo process until there are no more probable targets

The computational burden in step 1 can be very large since it typically means testing each image pixel whether it has certain image amplitude and change amplitude (within some tolerance). It thus has to assess all image pixels (millions) several hundred times. According to 3 this must be redone for every target in the image.

# Change statistics with no appearing or disappearing objects

Changes in this area will be detectable

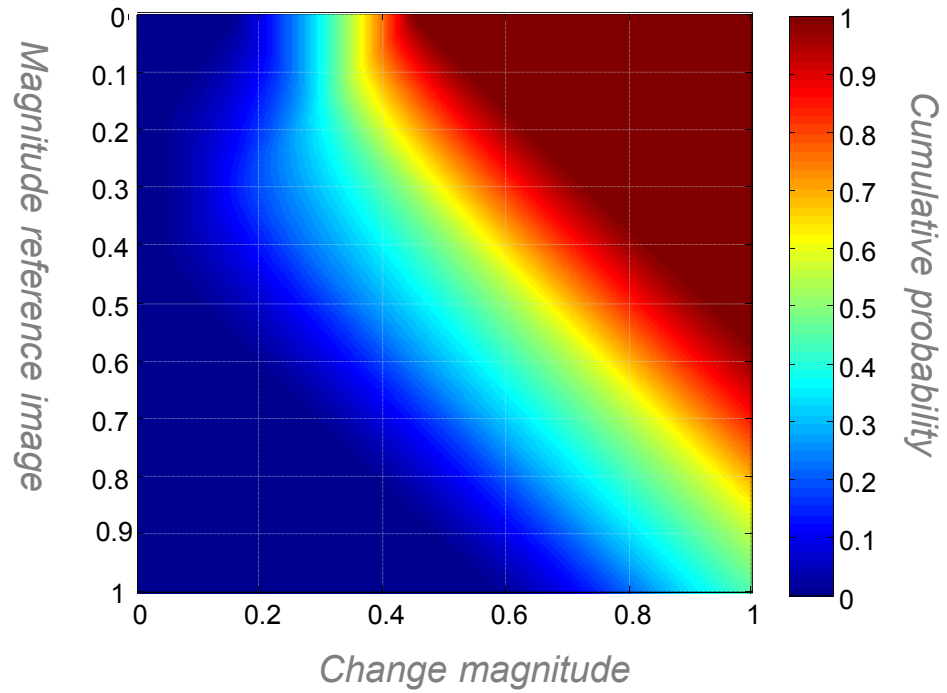


NOTE: The stronger the intensity in the reference image the more uncertain the amplitude in the update

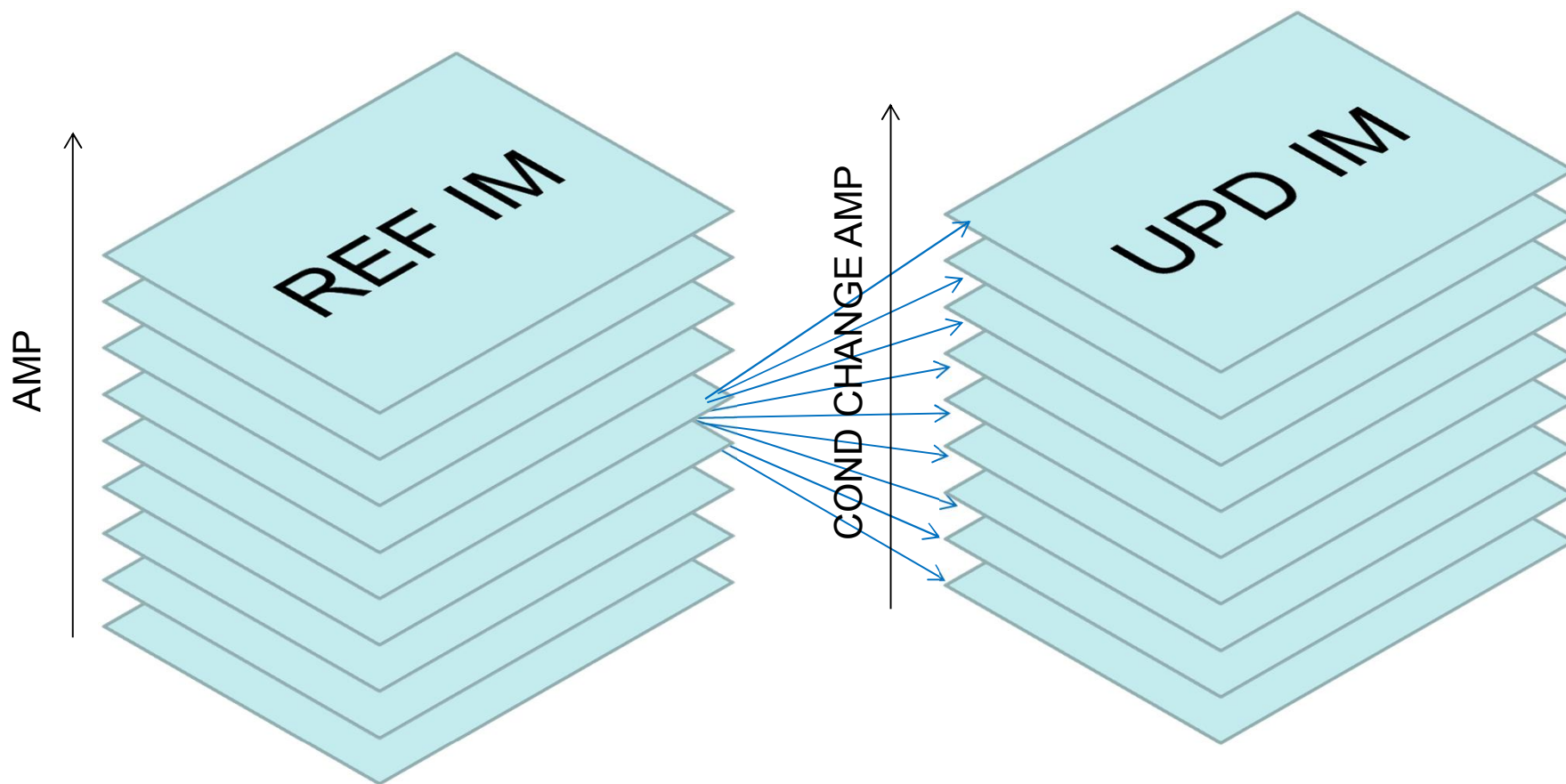


## Target model

$$u_{total}(x) = u_{object}(x) + u_{terrain}(x)$$



## Fast method of obtaining statistics



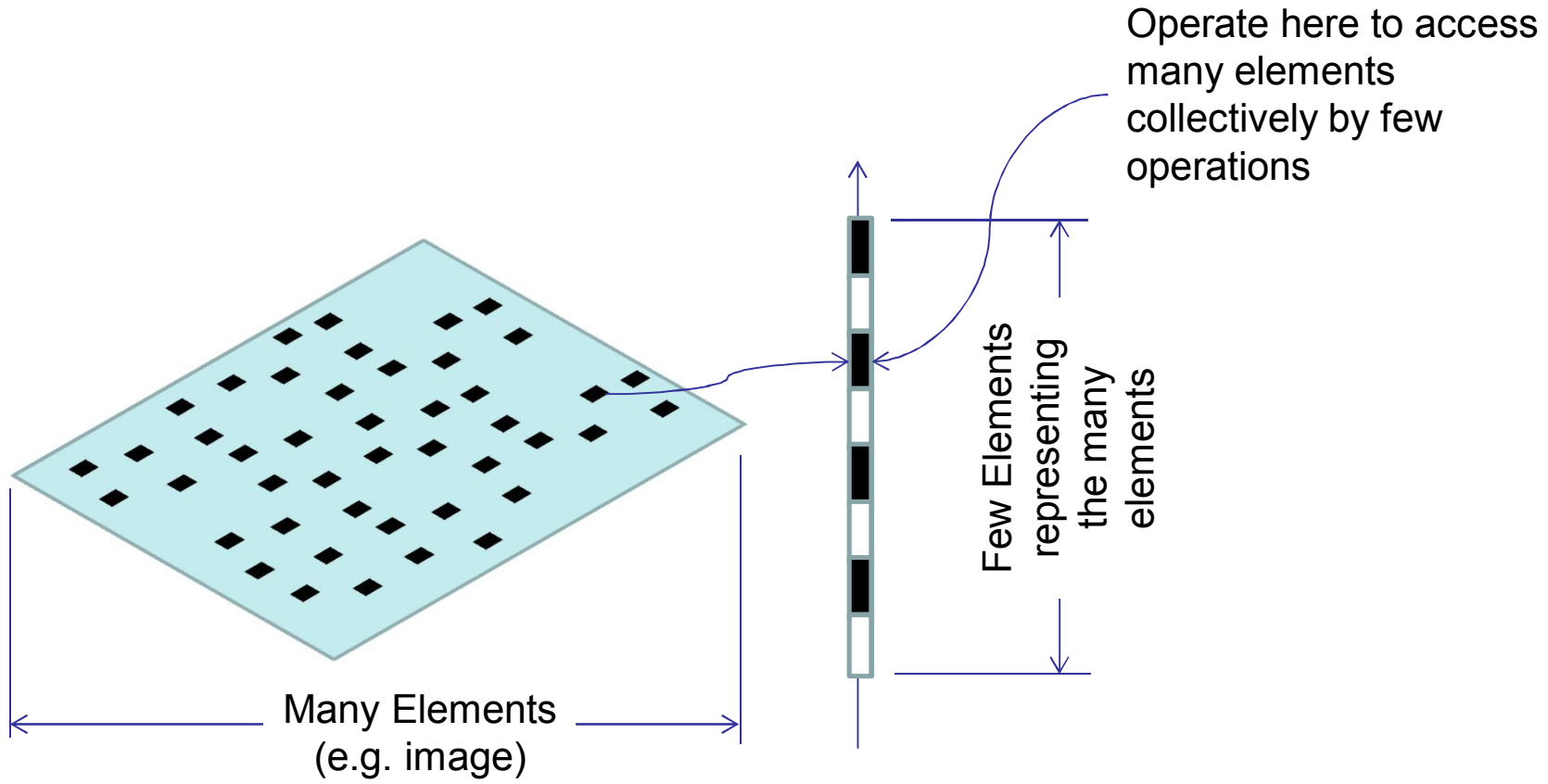
Define logical masks: DSUPPOA=AMP>=BILD;  
Statistics: sum(DSUPPOA)

## GENERALIZATION OF FAST METHOD

- ❑ Consider any function  $f(x)$  defined on any set  $X$ , e.g. the pixels in an image.
- ❑ Consider any operation which for each value  $f=\text{const}$  of the function perform some task specific to that value. Examples can be counting the number of elements in  $X$  holding this value, or it can be to change the value according to some rule (e.g. multiplication), or to sum the value for the subset of points holding the value (integration).
- ❑ Common for all these situations is that it is not required to loop through the set but that the set can segmented as  $f^{-1}(\text{const})$ . The operation can be performed as one single computational step for all elements in  $f^{-1}(\text{const})$  while the overall solution is attained by recombining the segments across all possible functional values.
- ❑ The gain in computational effort is that functional values (within a pre-defined tolerance) are common to many elements.

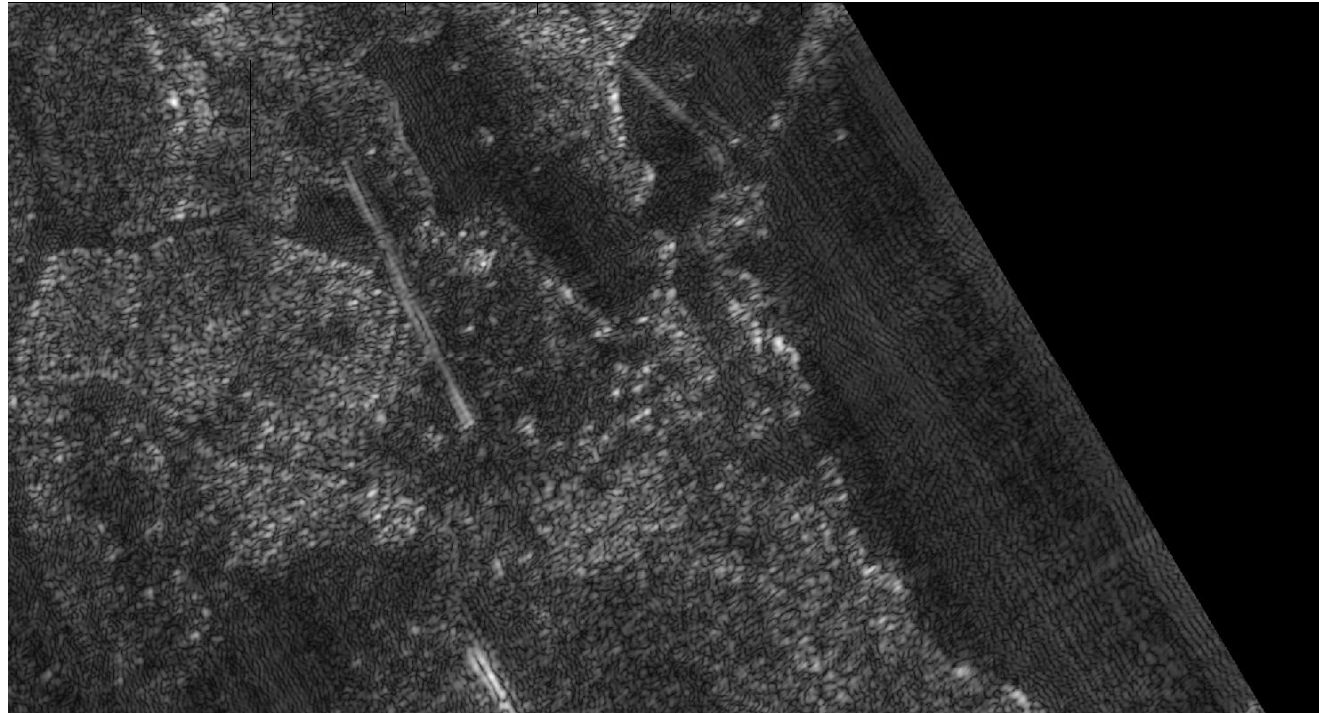


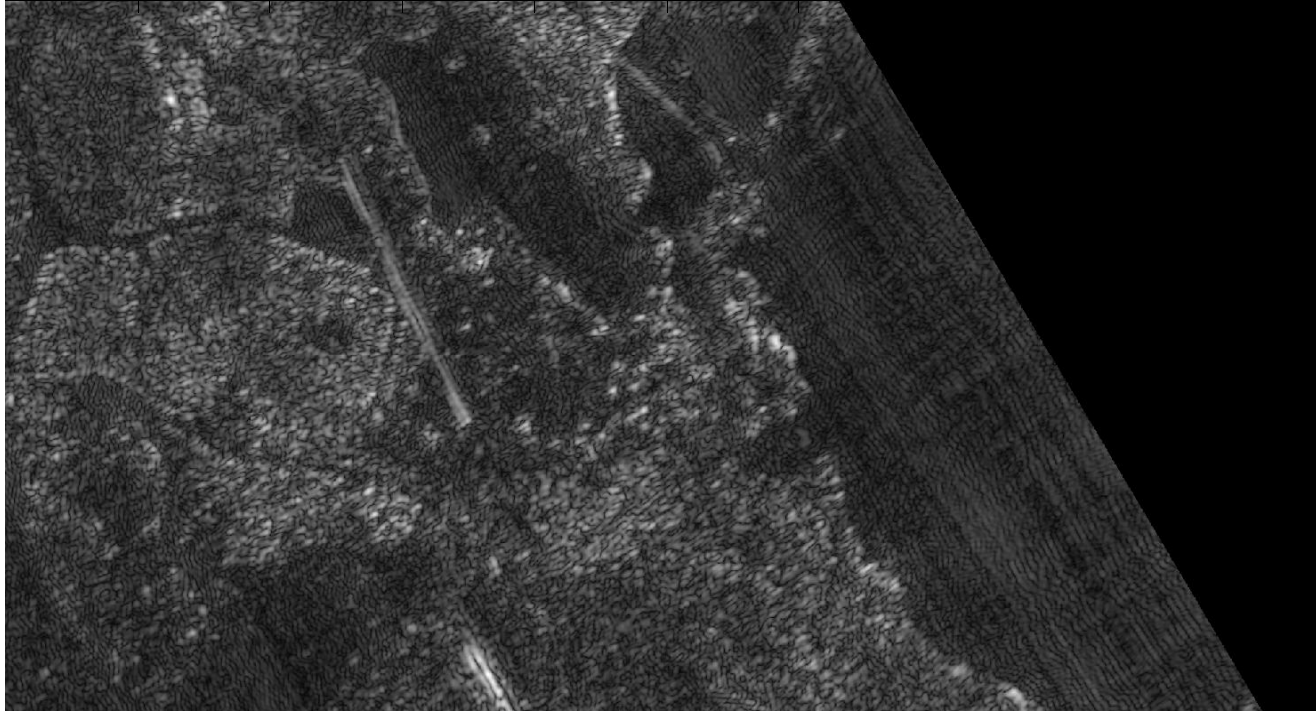
# GENERALIZATION OF FAST METHOD



# Performance of Method

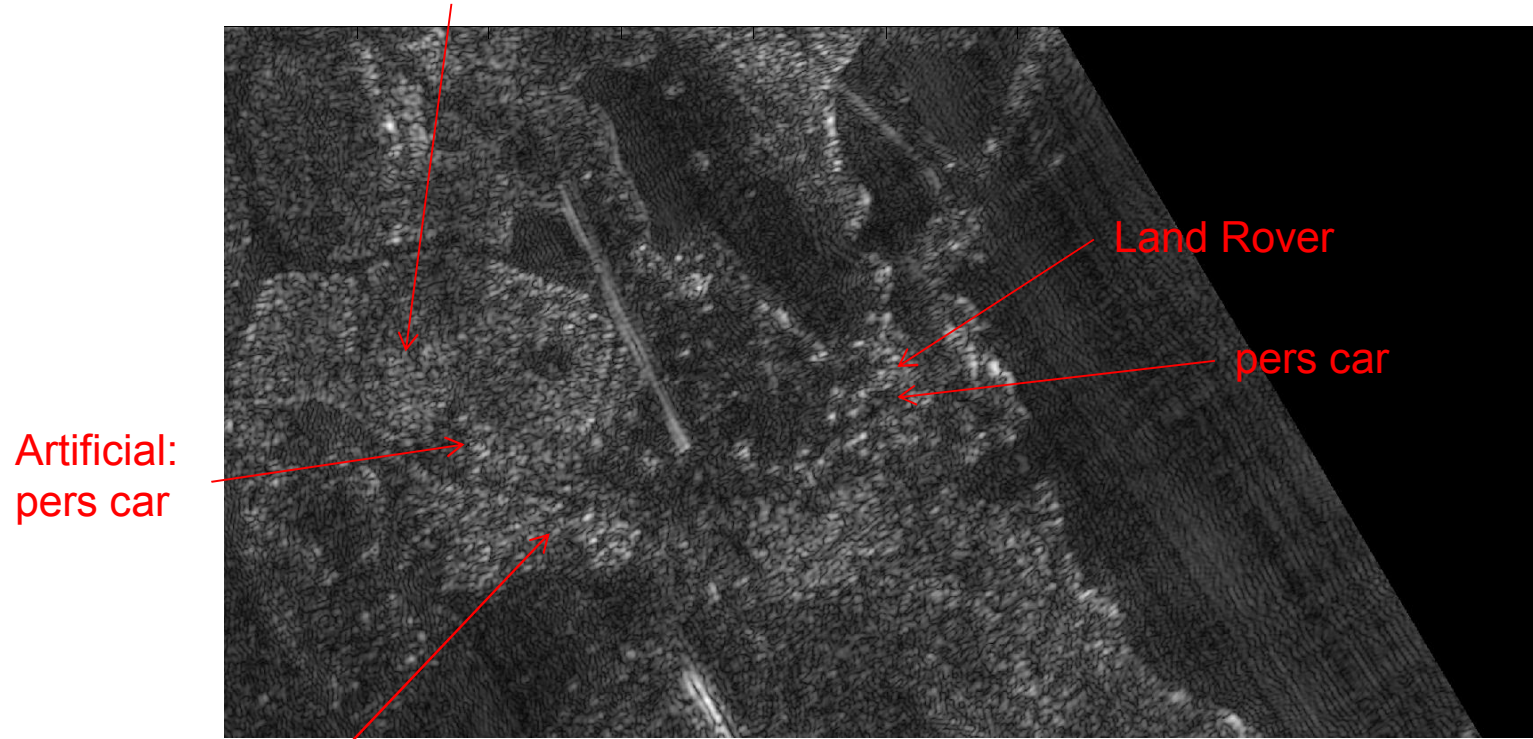
## Experiment with artificial insertion of three additional weak targets







Artificial: 0.75 x pers car



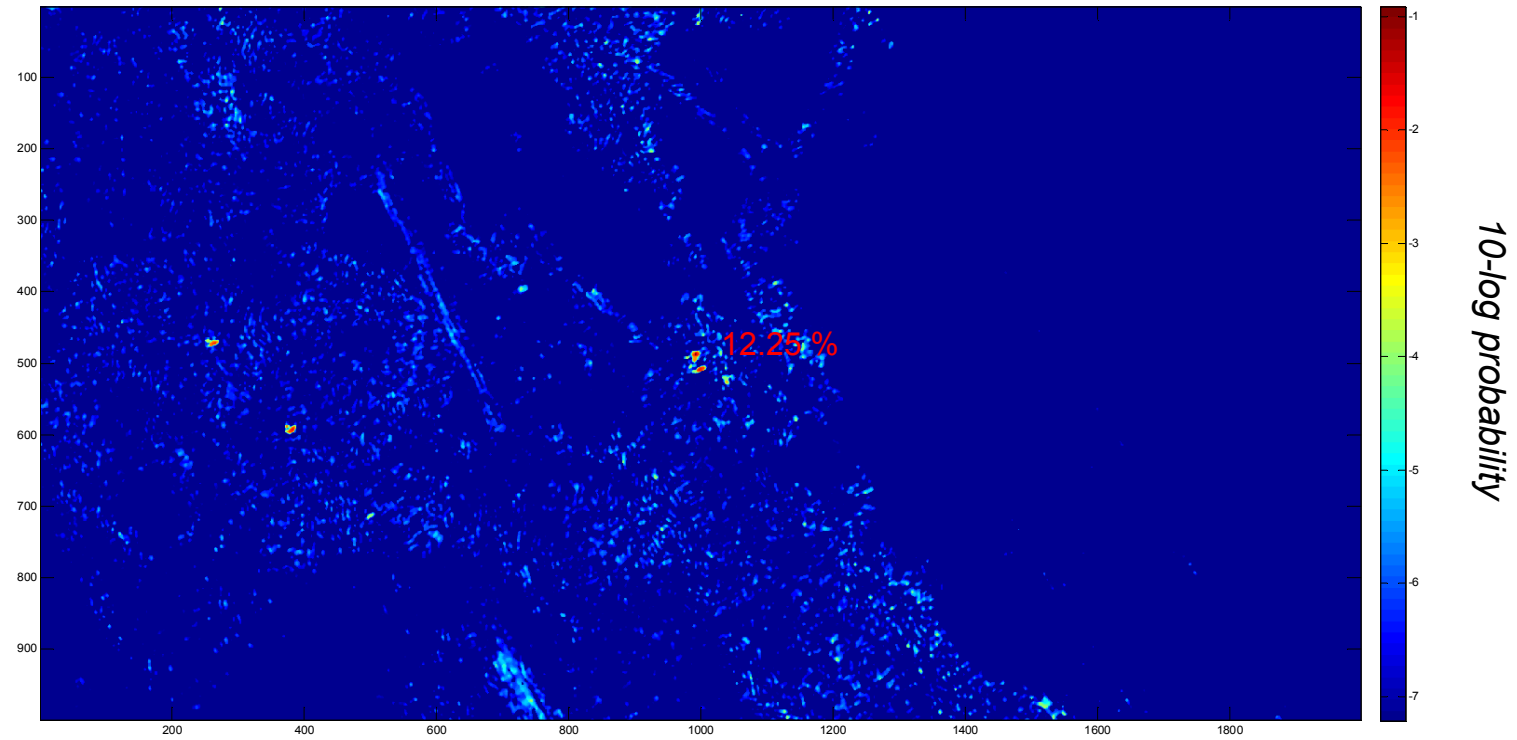
Artificial:  
pers car

Artificial:  
0.5 x pers car

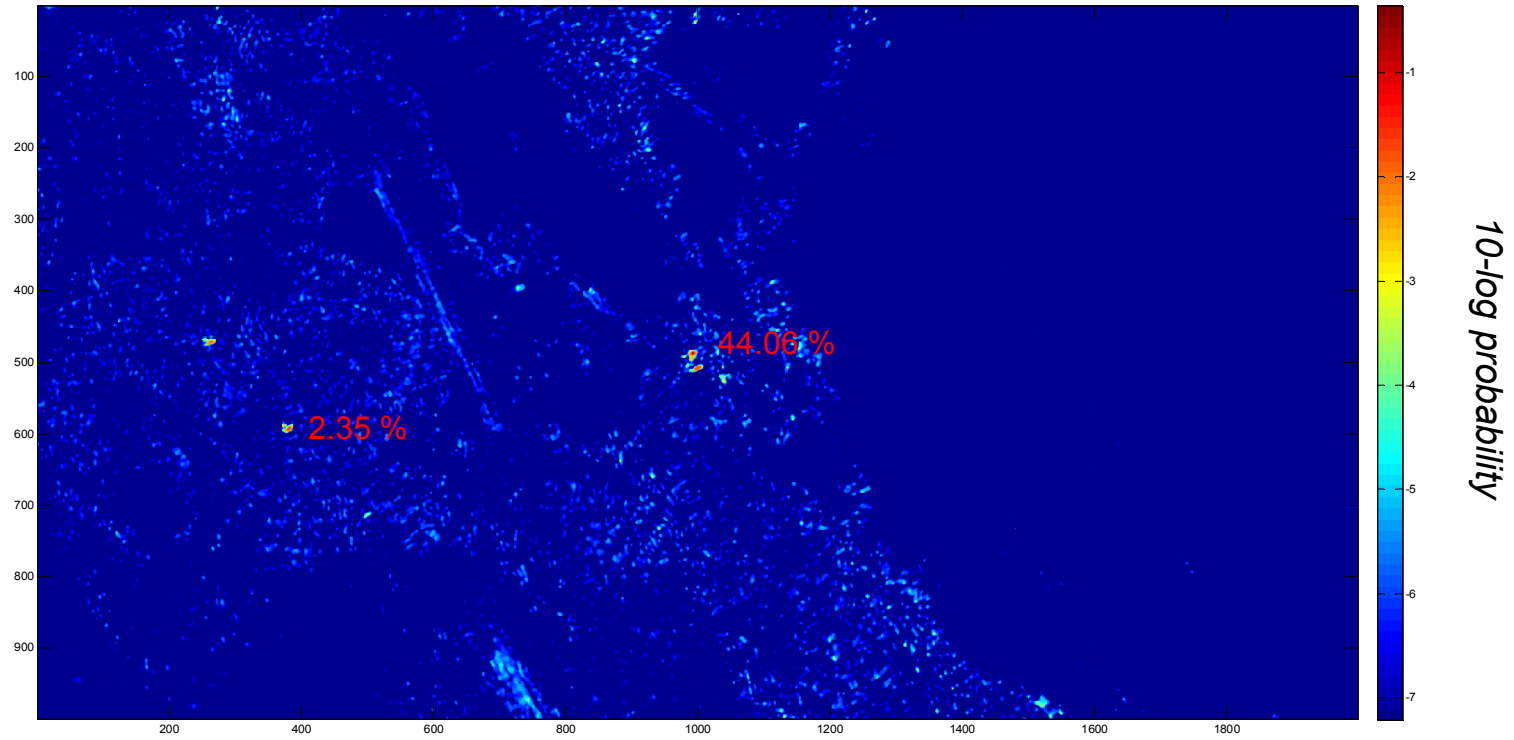
Land Rover

pers car

# Probability image – 0 target hypothesis

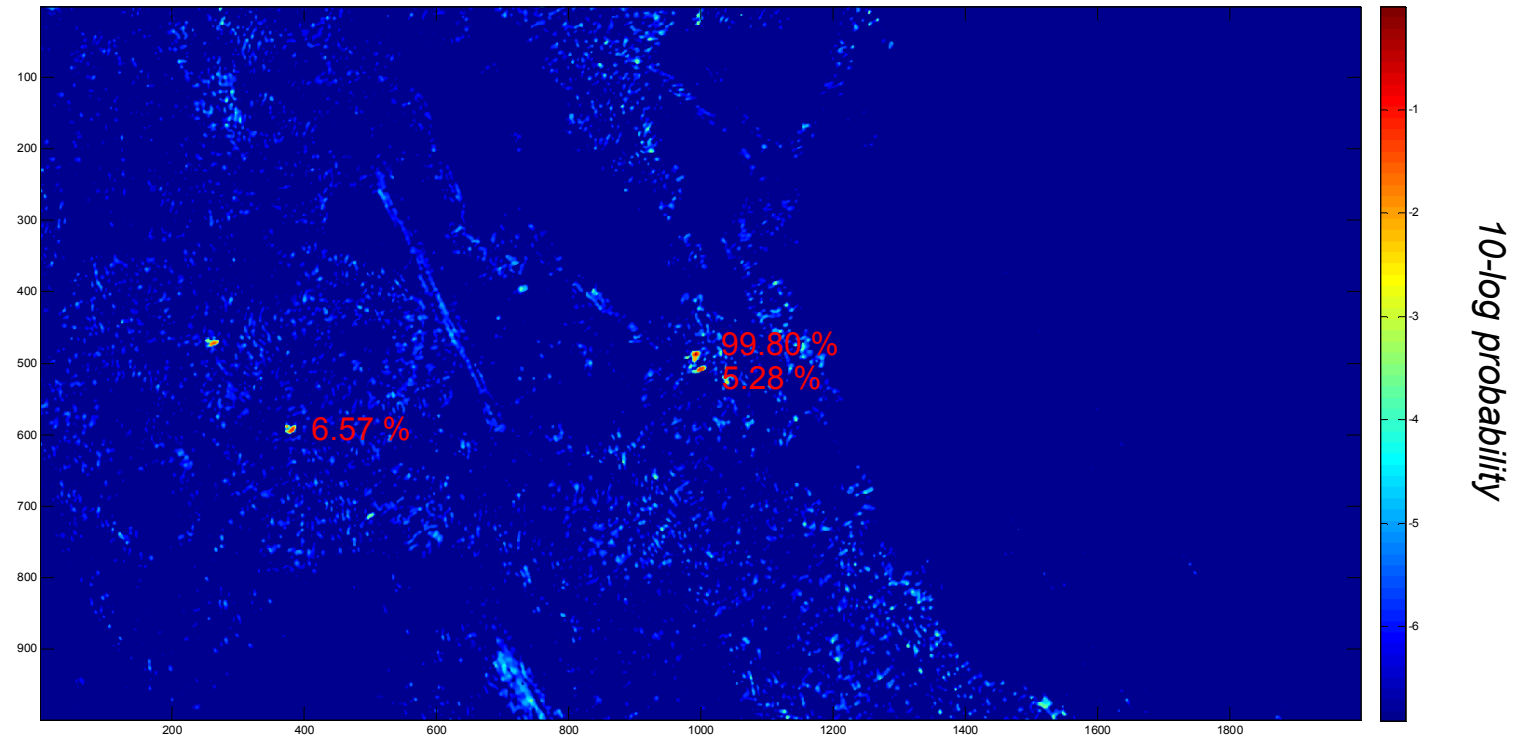


# Probability image – 1 target hypothesis

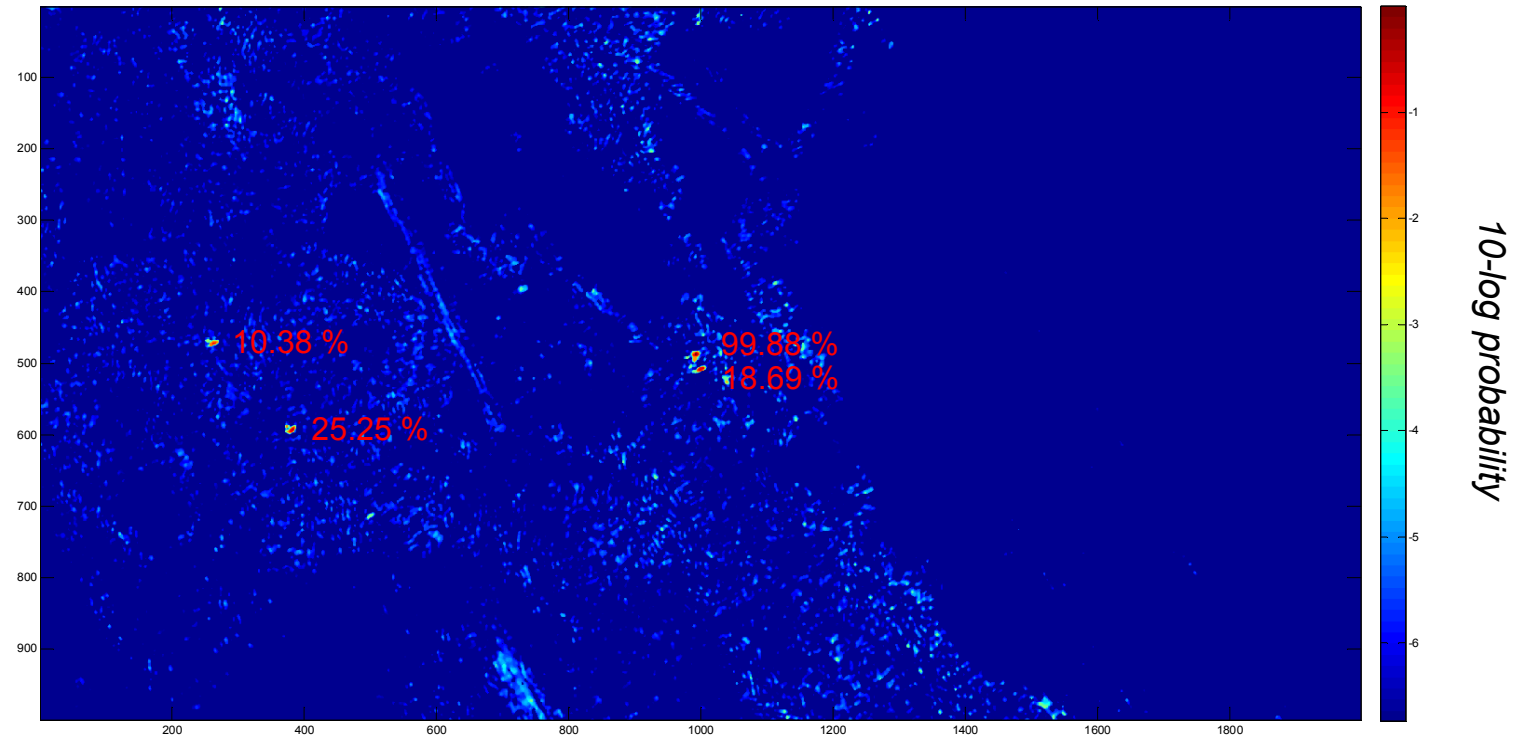




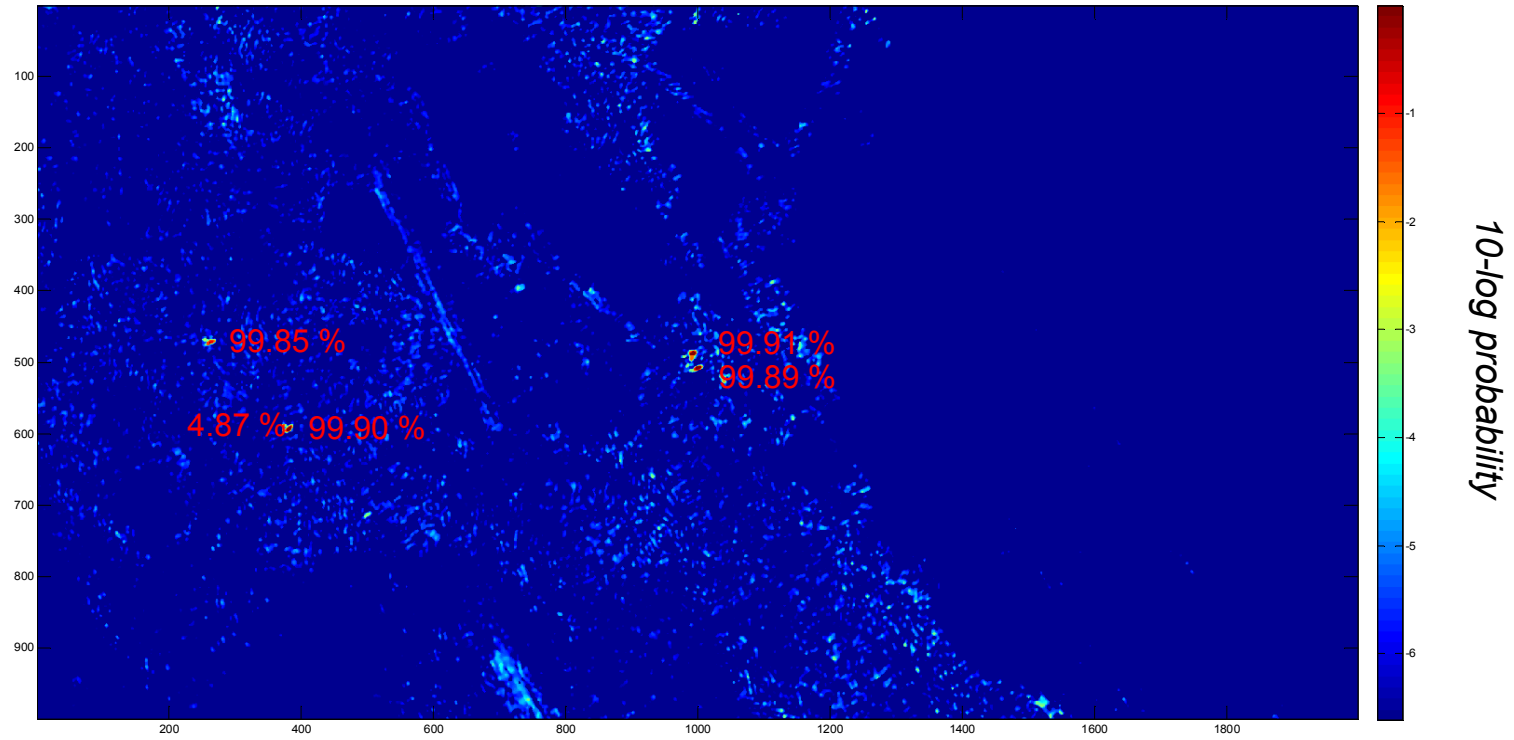
# Probability image – 2 target hypothesis



# Probability image – 3 target hypothesis

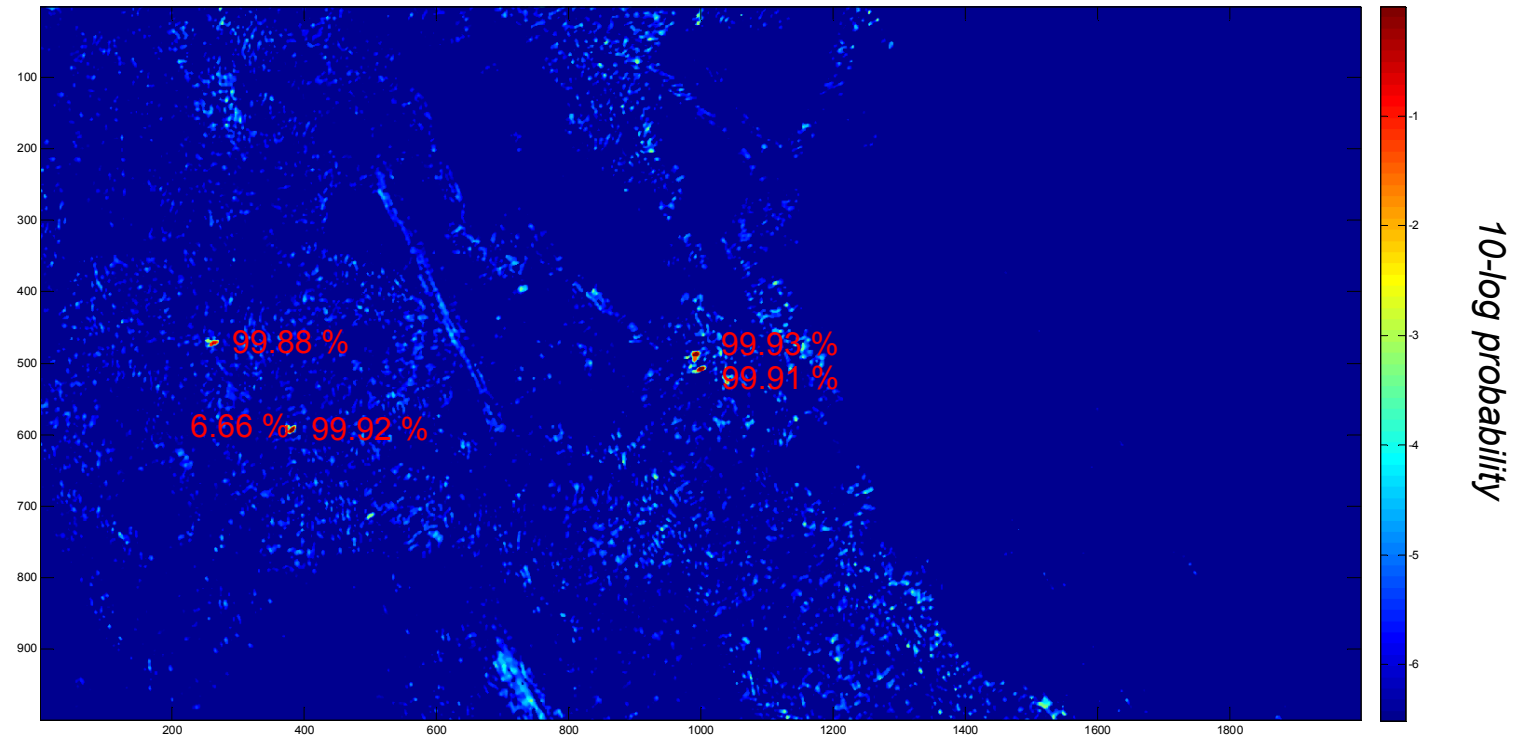


# Probability image – 4 target hypothesis





## Probability image – 5 target hypothesis



**Conclusion: 4 targets found- the weakest not !**